

# Single $\pi^0$ production in MINERvA using Medium Energy beam

(A first approach on energy resolution)

Gonzalo Díaz  
University of Rochester

New Perspectives  
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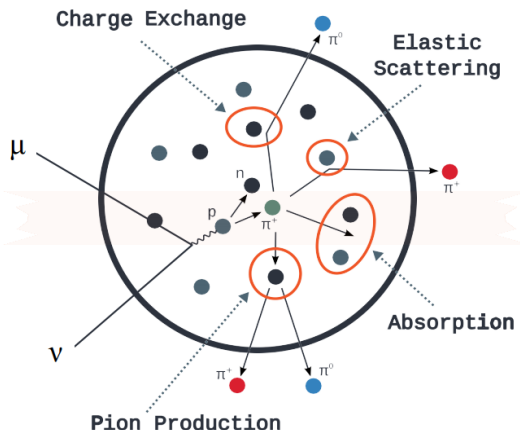


# Why study neutrino $\pi^0$ production?

Neutrino-nucleus cross sections in the range of 1-20 GeV are important for experiments like NOvA and DUNE since they need an understanding of neutrino interactions for their oscillation measurements.

Neutrino-induced  $\pi^0$  production processes that are background for oscillations:

- Neutral-current  $\pi^0$  can mimic a final state electron/positron in (anti)neutrino electron appearance.
- Charged-current  $\pi^0$  and absorption in the nucleus can mimic quasi-elastic signal.

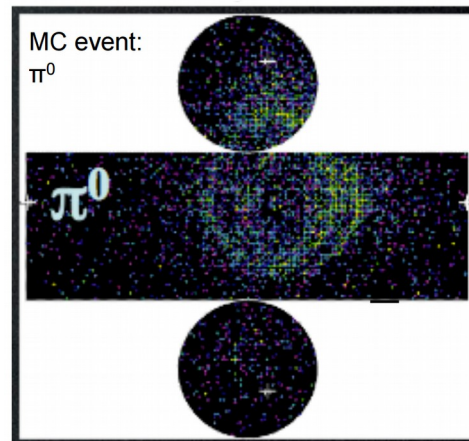


Charged-current single  $\pi^0$  production in nuclei is modeled as a decay of nucleon excitations, as well as other processes like charge exchange.

Final state interactions and nuclear structure models are important to understand single  $\pi^0$  production inside the nucleus.

More data means more tools to test these models.

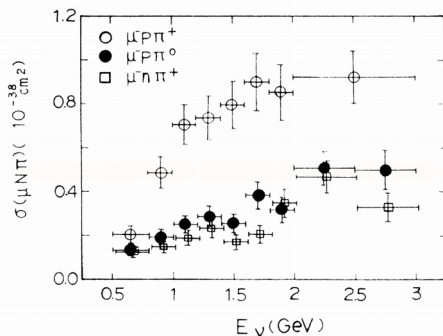
T2K simulation of NC  $\pi^0$  background  
K. Mahn – Fermilab JTEP – July 2015





# Results on neutrino $\pi^0$ production

**Neutrino-induced  $\pi^0$  production in deuterium**  
T. Kitagaki, et al., *Phys. Rev. D* 34 (1986) 2554



MINERvA has recently published results of charged-current  $1\pi^0$  production, using antineutrino beam of 3.6 GeV and a plastic scintillator target.

Next step includes measuring  $1\pi^0$  production at higher energies in heavy targets like iron and lead.

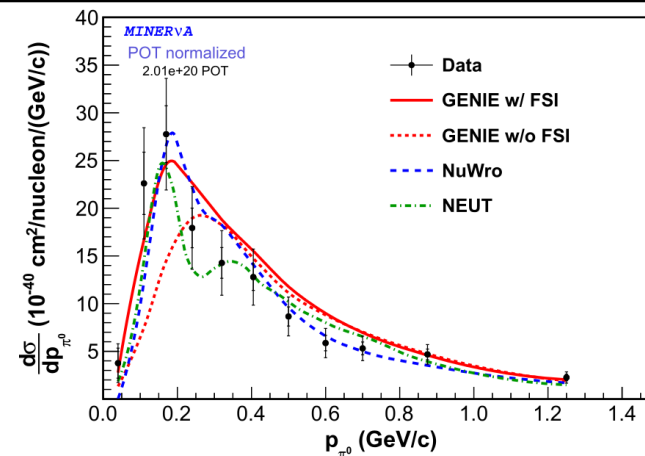
Goal is to calculate both differential and absolute cross sections.

Measurements of  $\pi^0$  production by neutrinos have been done since mid-80s, in deuterium bubble chambers for energies up to 3 GeV.

MiniBooNE published differential cross sections in mineral oil ( $\text{CH}_2$ ) target for lower energies, up to 1 GeV.

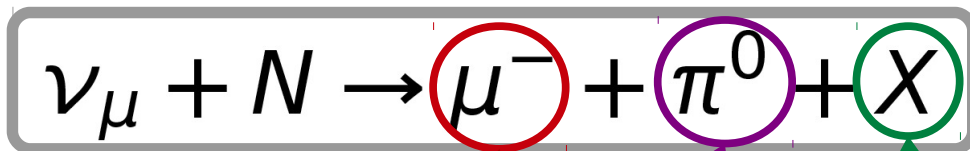
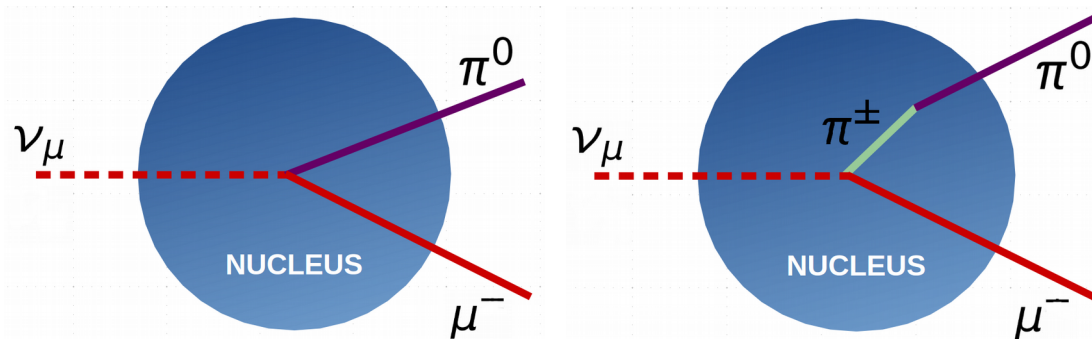
Complementary measurements were done by SciBooNE using plastic scintillator (CH).

**CC $1\pi^0$  differential cross section as function of  $\pi^0$  momentum**  
T. Le, et al. (MINERvA collaboration), *Phys. Lett. B* 749 (2015) 130-136





# Neutrino $\text{CC}1\pi^0$ production studies: signal definition



Negative muon in the  
final state

One and only one  $\pi^0$

No other mesons allowed,  
but it can contain any baryons

Signal is defined as:

- Final state including a muon and **only one  $\pi^0$**  produced inside the nucleus either way:
  - Directly from the neutrino interaction
  - Through  $\pi^\pm$  charge exchange process
- No other mesons allowed in the final state, but there's no restriction for baryons.

Same signal used by MINERvA before, but with a slight change.

I'm using NuMI **neutrino beam** with energy of **6 GeV** ("medium energy" configuration), as opposed to the "low energy" antineutrino beam used before.

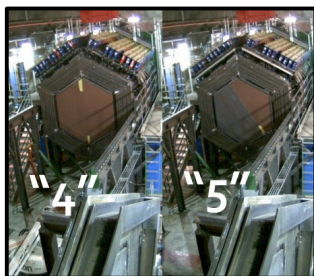
More beam energy means more intensity, and studying neutrinos allows cross section comparisons with antineutrino results.



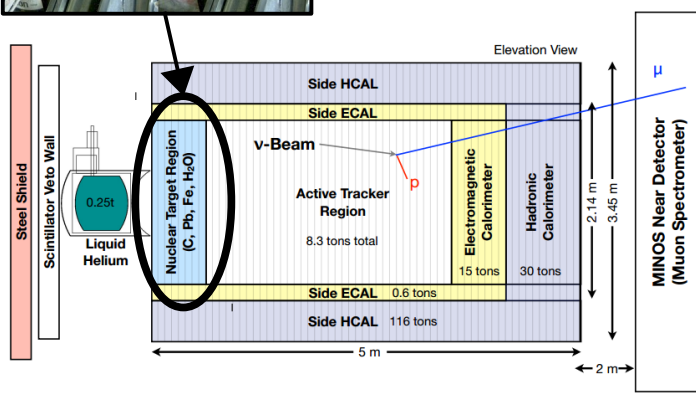
# Neutrino $\text{CC}1\pi^0$ production studies: event topology



In contrast to MINERvA's previous  $\text{CC}1\pi^0$  cross section results in plastic scintillator, this time neutrinos are required to interact with heavy nuclei targets, specifically targets 4 (only Pb) and 5 (Pb and Fe).

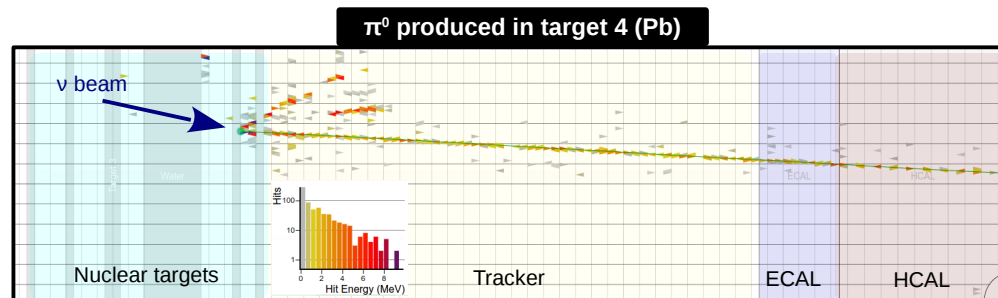
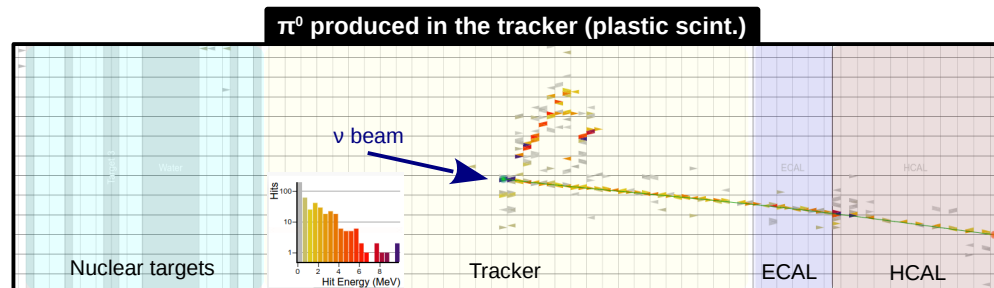


The motivation lies in looking at the event rate as well as the energy response in regions where there's a strong presence of passive material.



A signal event is characterized by a long noticeable  $\mu^-$  track going out from the interaction vertex.

Due to its short lifetime ( $\sim 10^{-16}$  s), the  $\pi^0$  quickly decays into two photons that have no visible track but convert into electron-positron pairs, which leave energy depositions on the active material in the form of **hits**.





# Photon reconstruction: ConeBlobs

Inside the detector, hits are grouped in **clusters**. But clusters can be due to either,  $\pi^0$  decay or any other nearby activity.

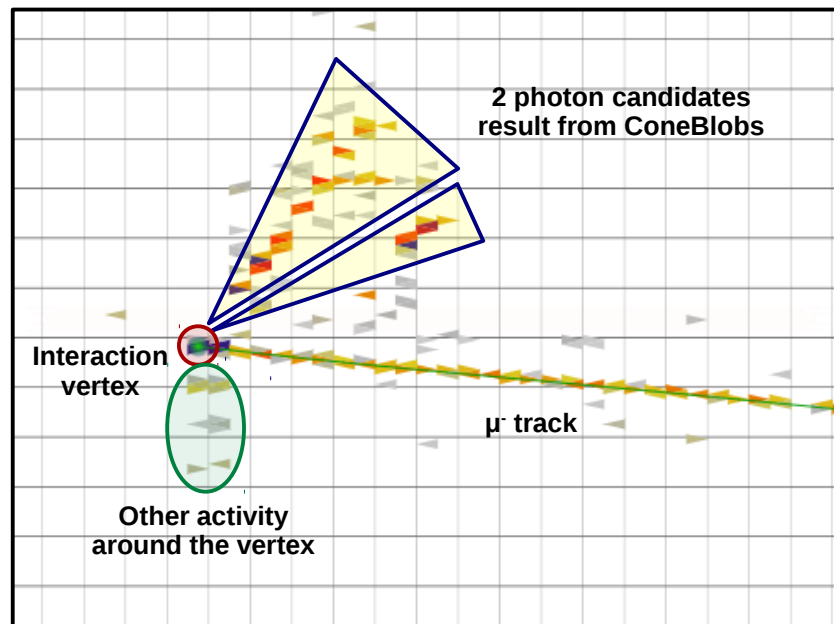
The challenge of reconstructing real  $\pi^0 \rightarrow \gamma\gamma$  events lies in the correct identification of electron-positron clusters coming from the daughter photons.

The algorithm in charge of photon reconstruction is called **ConeBlobs**, using an angle scan selection:

- It gets an angular distribution of clusters around the vertex and selects those under the peaks.
- For each of cluster selected, it looks for those separated no more than 1 cm in adjacent planes.
- Clusters that satisfy these conditions are stored in an object named **blob**.

For each angle scan, **ConeBlobs stores only 2 blobs**, which are the two photon candidates coming from the decay  $\pi^0 \rightarrow \gamma\gamma$ .

Photon with larger energy is called leading; and the other one, secondary.

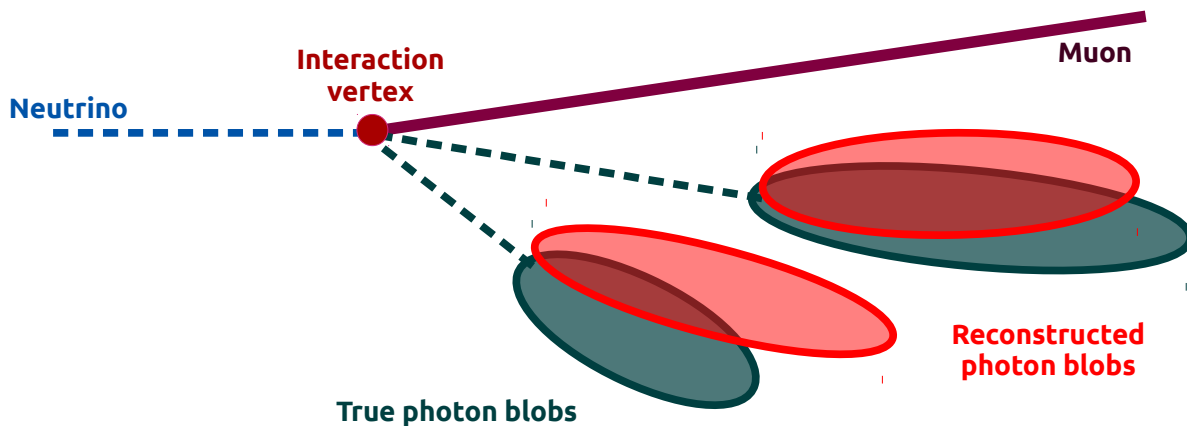




# Blob efficiency and purity

Photon reconstruction can identify non- $\pi^0$  clusters as candidates, or neglect real  $\pi^0$  clusters. One way to verify the quality of the is looking into the **blob efficiency** and **blob purity**.

I simulated neutrino interactions in the MINERvA detector, selected signal events, and subjected them to reconstruction with ConeBlobs.



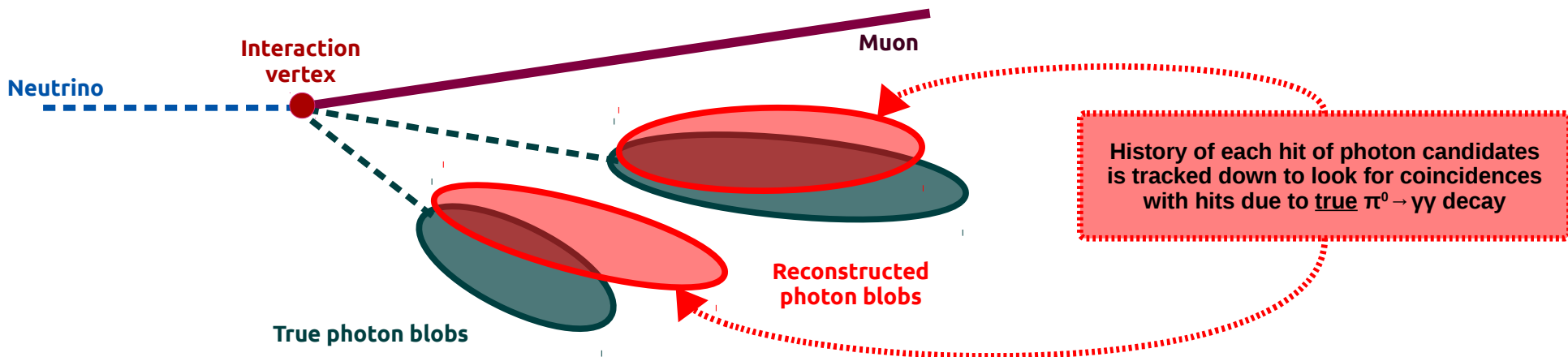


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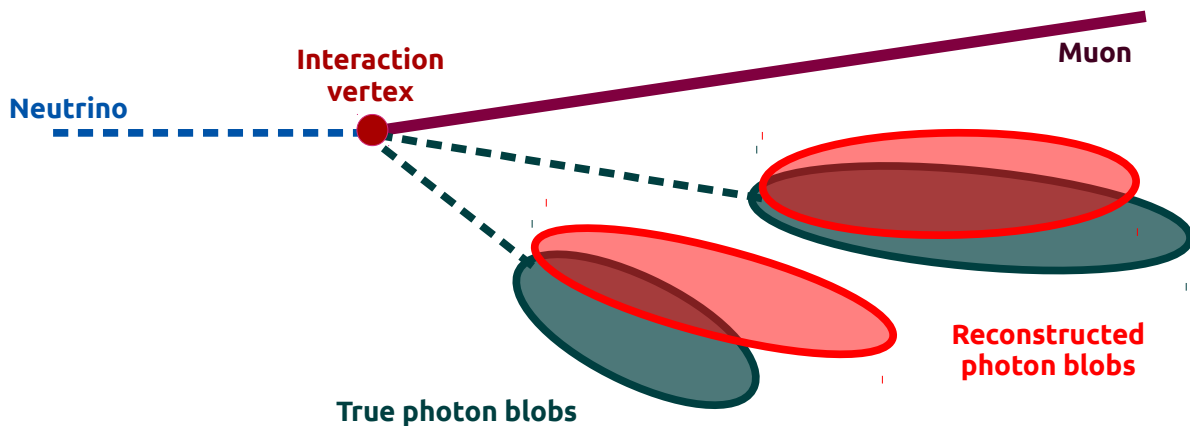
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The history of each of the hits of the photon candidates is tracked down to verify if they come from true  $\pi^0 \rightarrow \gamma\gamma$  decay.

With all the information gathered, efficiency and purity are calculated in the following way:



$$\text{Blob efficiency} = \frac{\text{Energy of true } \pi^0 \text{ hits inside reconstructed blobs}}{\text{Energy of true } \pi^0 \text{ hits}}$$

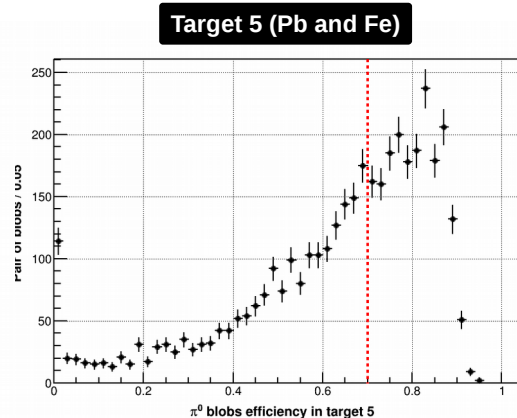
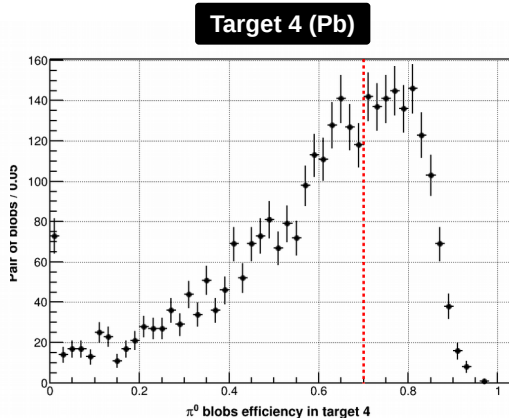
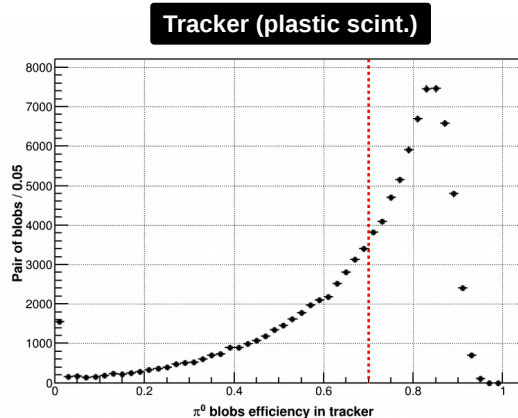
$$\text{Blob purity} = \frac{\text{Energy of true } \pi^0 \text{ hits inside reconstructed blobs}}{\text{Energy of all hits inside reconstructed blobs}}$$



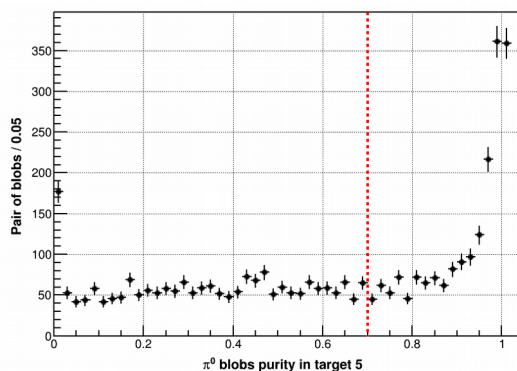
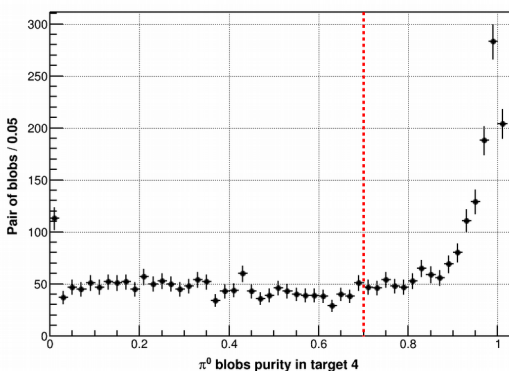
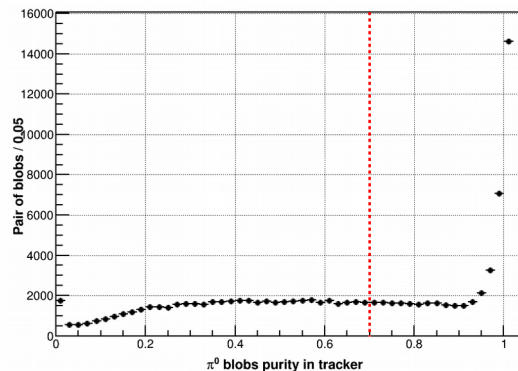
# Blob efficiency and purity

These are blob efficiencies and purities for simulated events with interaction vertex in the tracker, target 4 (Pb) and target 5 (Pb and Fe):

Efficiency



Purity

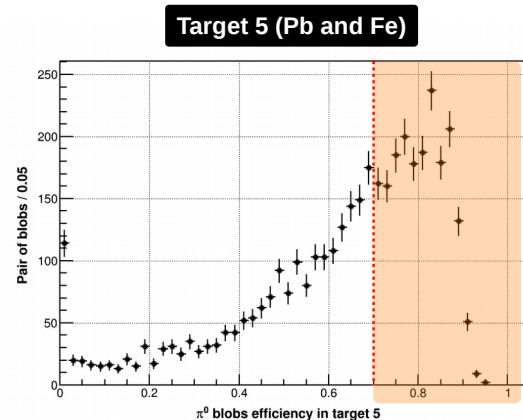
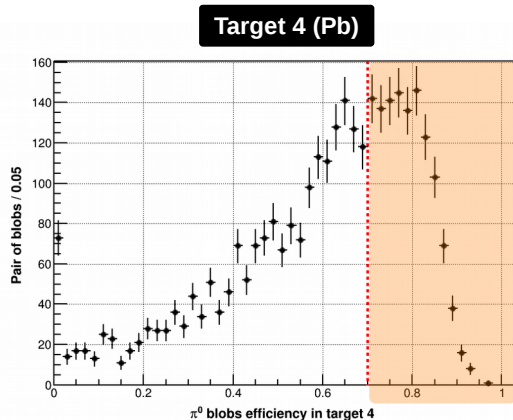
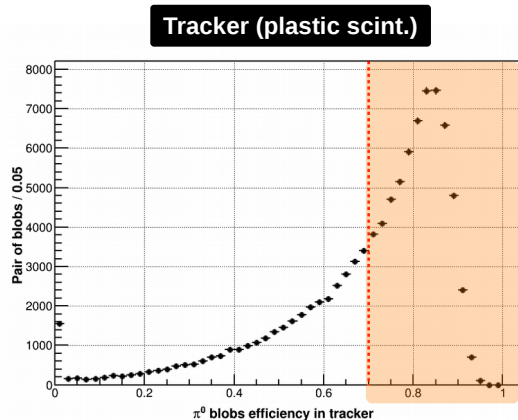




# Blob efficiency and purity

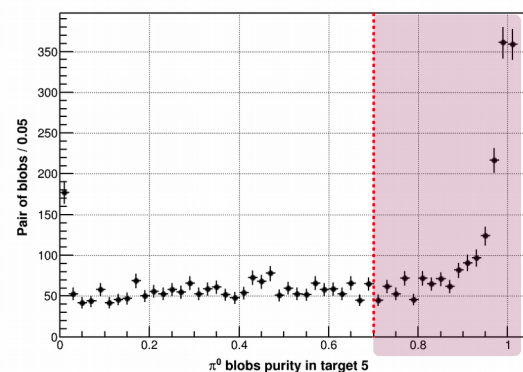
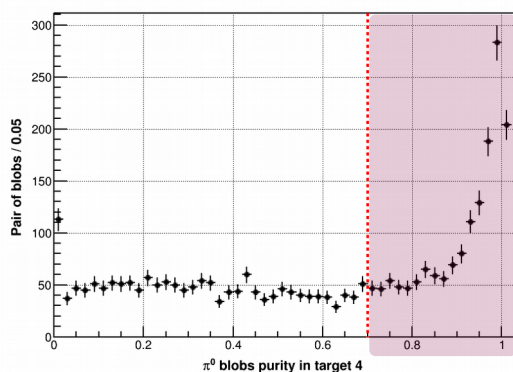
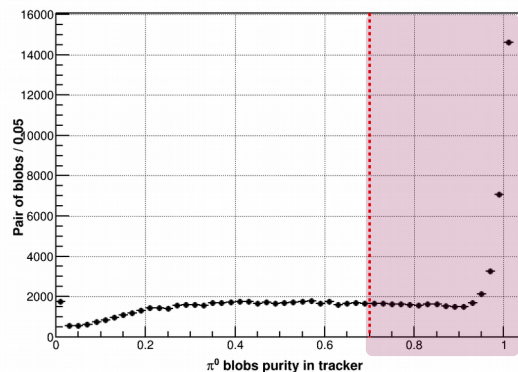
These are blob efficiencies and purities for simulated events with interaction vertex in the tracker, target 4 (Pb) and target 5 (Pb and Fe):

Efficiency



> 70%  
efficiency

Purity



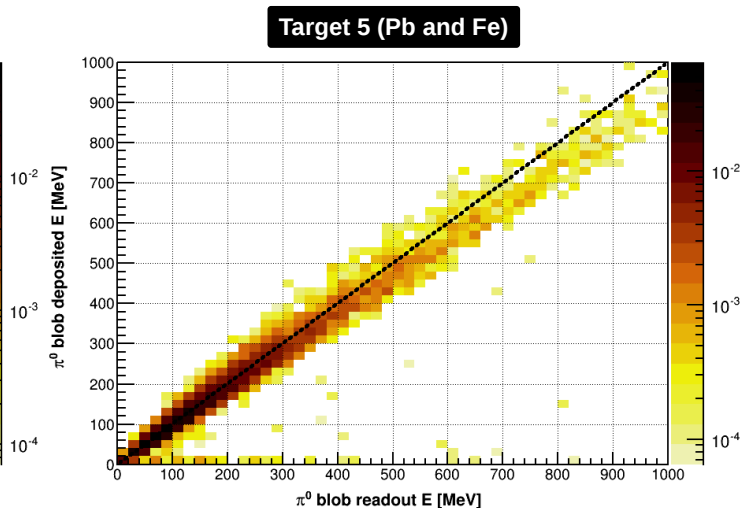
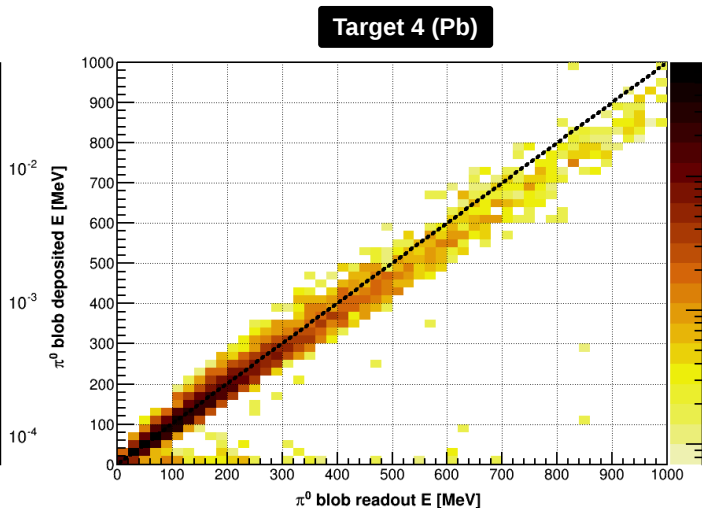
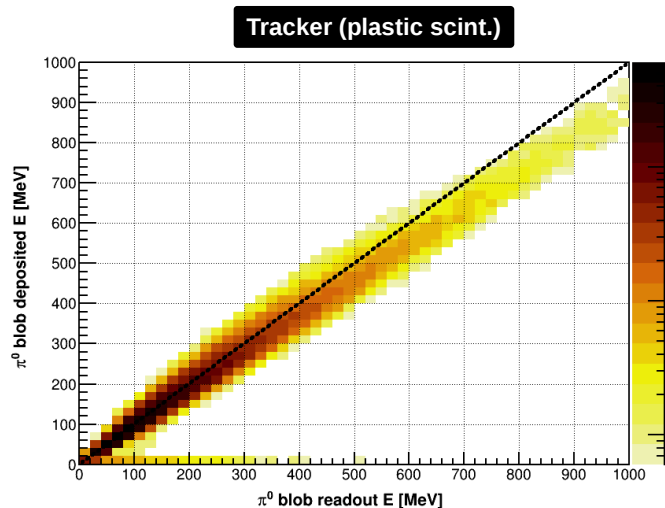
> 70%  
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# $\pi^0$ energy response in active material

My first step in the CC1 $\pi^0$  analysis in “medium energy” was to look at the  $\pi^0$  energy response in active material by looking at both types of low-level blob energies we have in the simulation:

- **Deposited energy:** Fraction of true  $\pi^0$  energy deposited on active material in the form of hits
- **Readout energy:** Energy obtained after the electronic readout of all hits reconstructed as  $\pi^0$  energy depositions

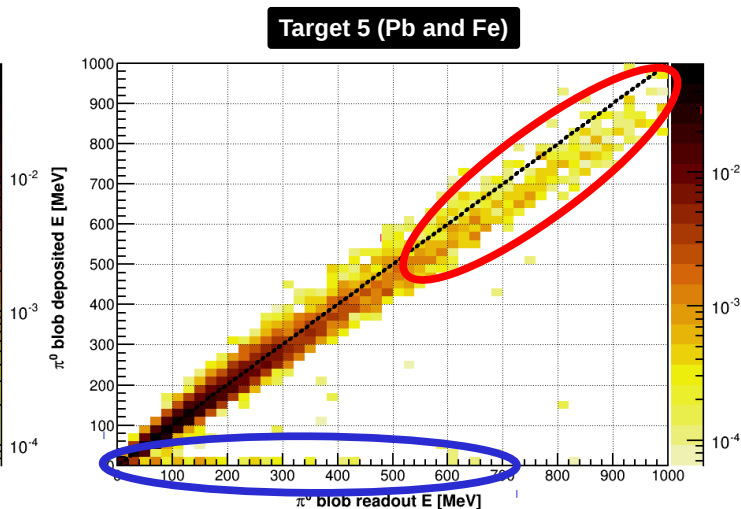
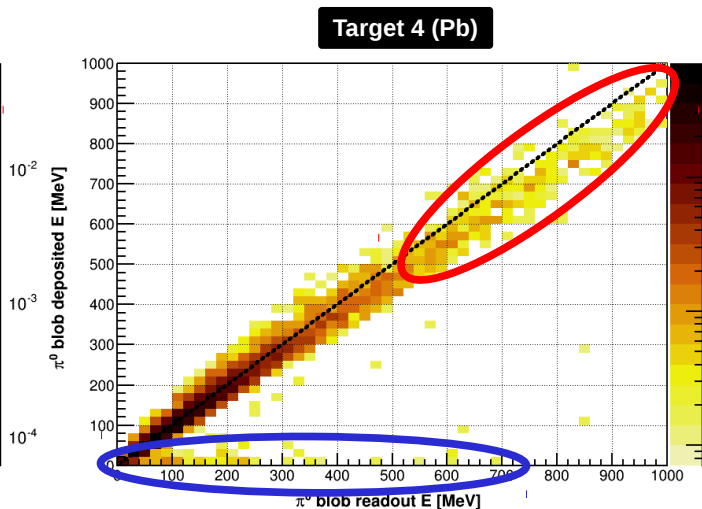
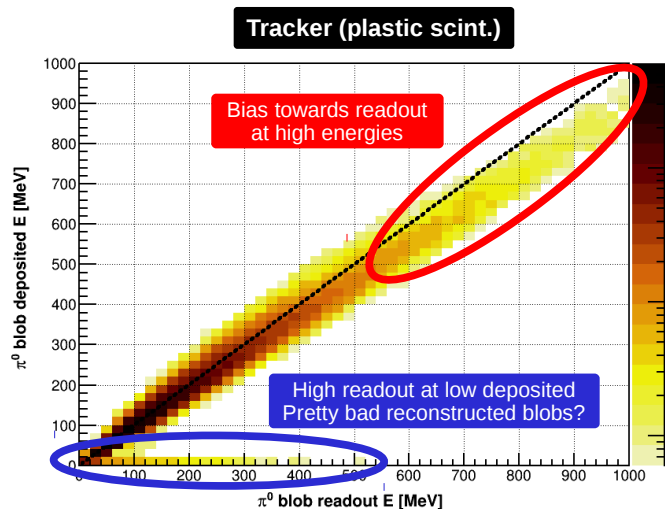




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# $\pi^0$ energy response in active material (after blob efficiency and purity cuts)



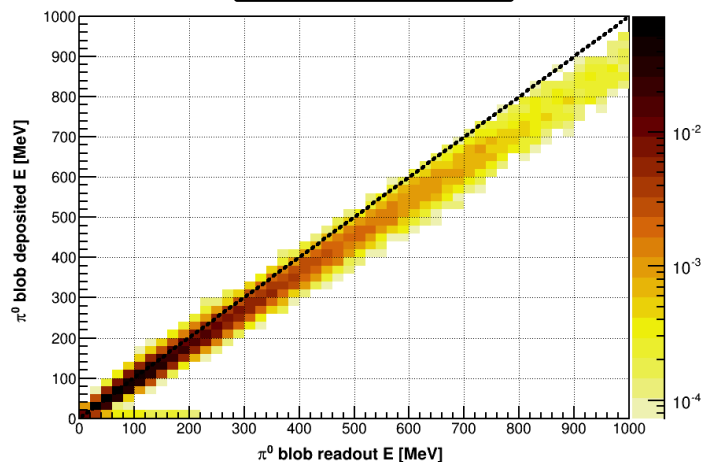
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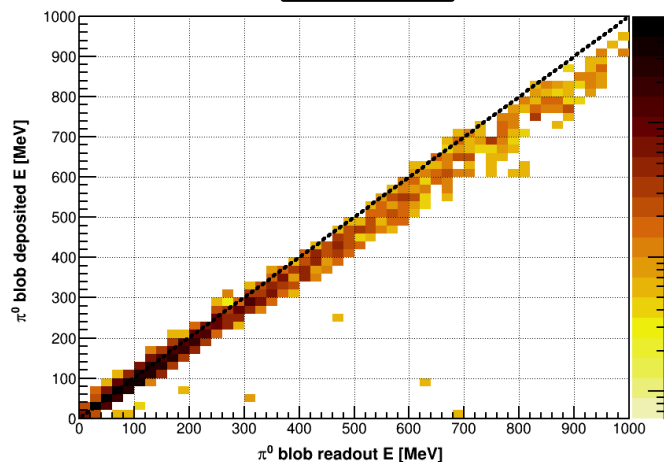
> 70%  
efficiency

> 70%  
purity

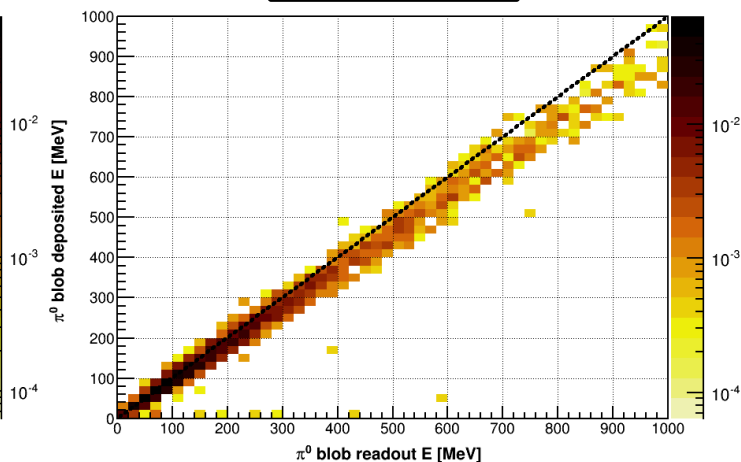
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)





# $\pi^0$ energy response in active material (after blob efficiency and purity cuts)

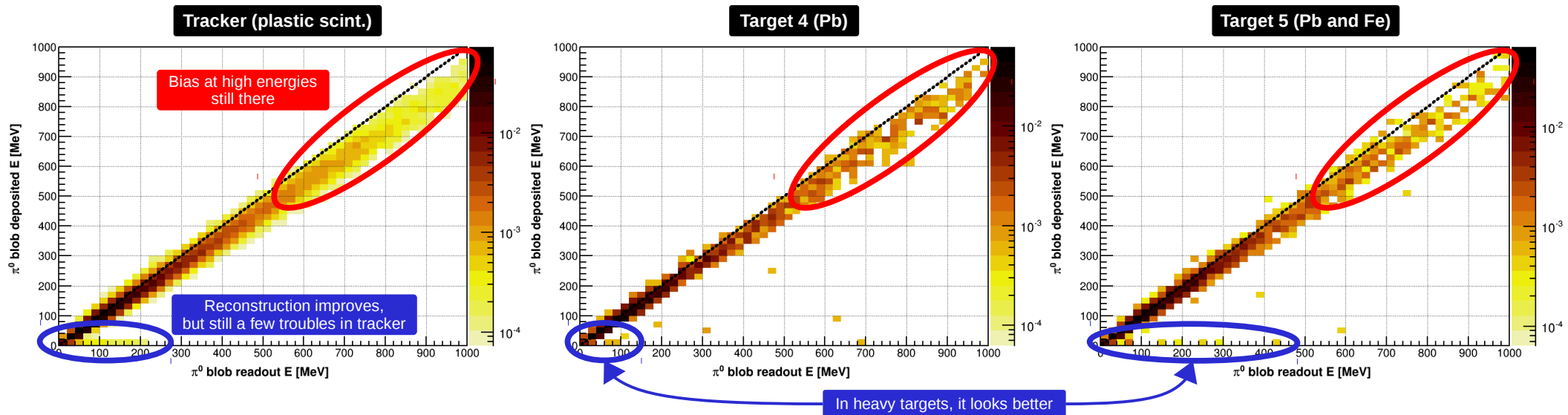


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purity



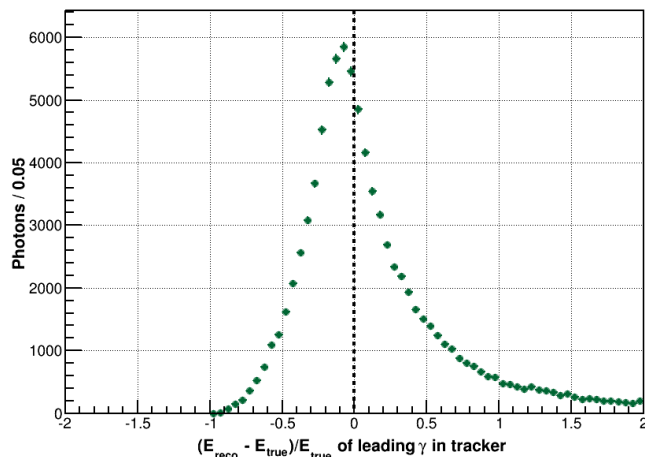


# Effect on leading $\gamma$ energy resolution

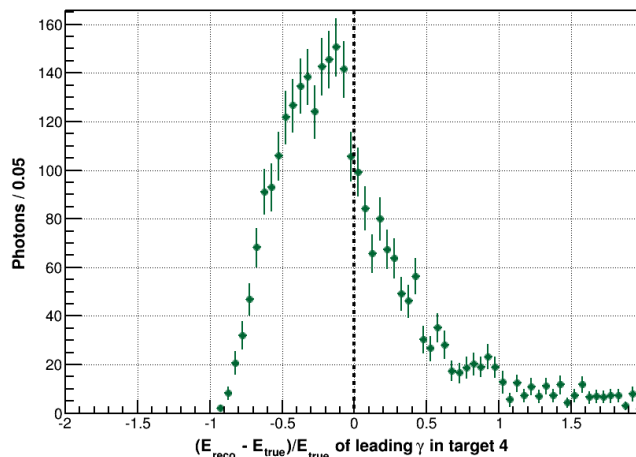
Energy resolution is defined as: 
$$\text{Photon energy resolution} = \frac{E_{\text{reco}} - E_{\text{true}}}{E_{\text{true}}}$$

where  $E_{\text{reco}}$  is the readout energy multiplied by calorimetric constants and  $E_{\text{true}}$  is the total  $\gamma$  energy after the  $\pi^0$  decay.

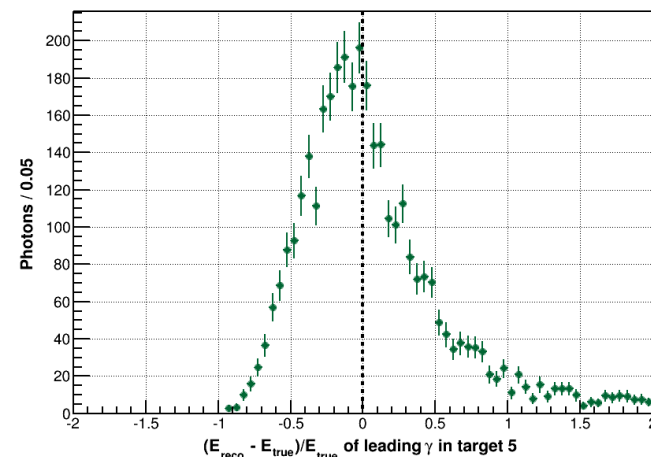
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)





# Effect on leading $\gamma$ energy resolution (after blob efficiency and purity cuts)

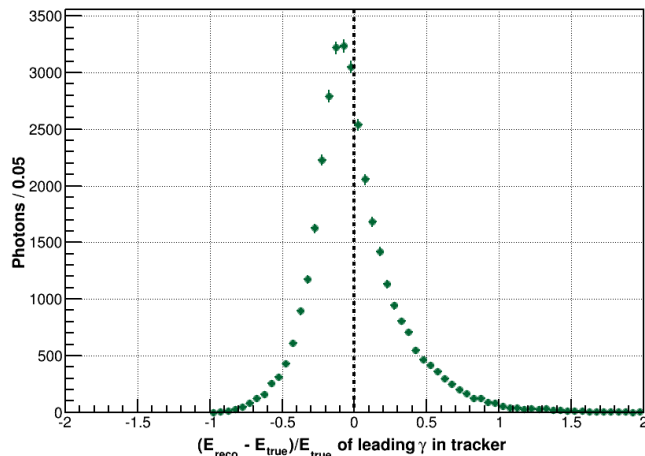
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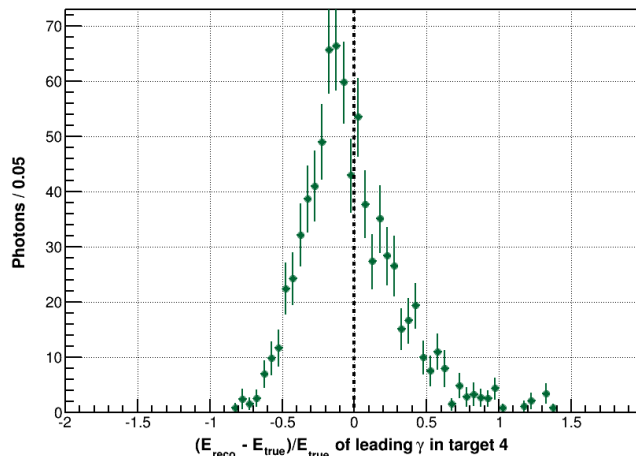
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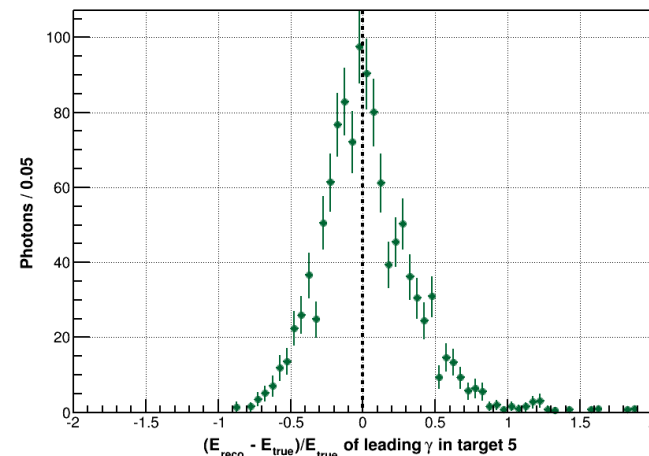
Tracker (plastic scint.)

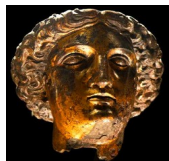


Target 4 (Pb)



Target 5 (Pb and Fe)



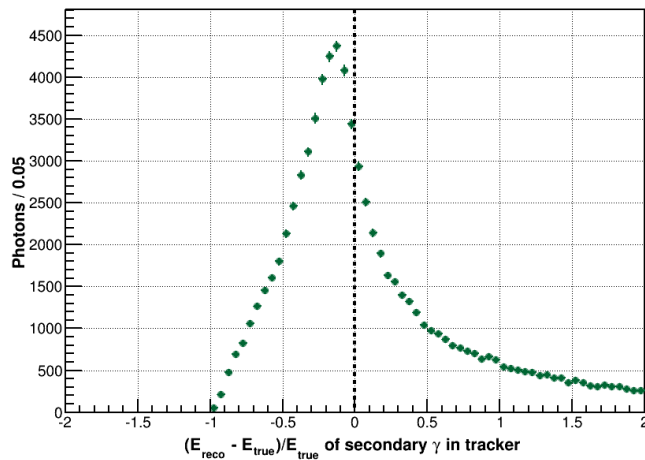


# Effect on secondary $\gamma$ energy resolution

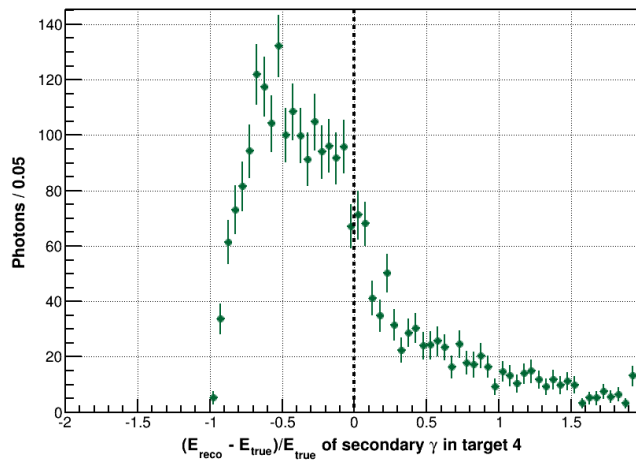
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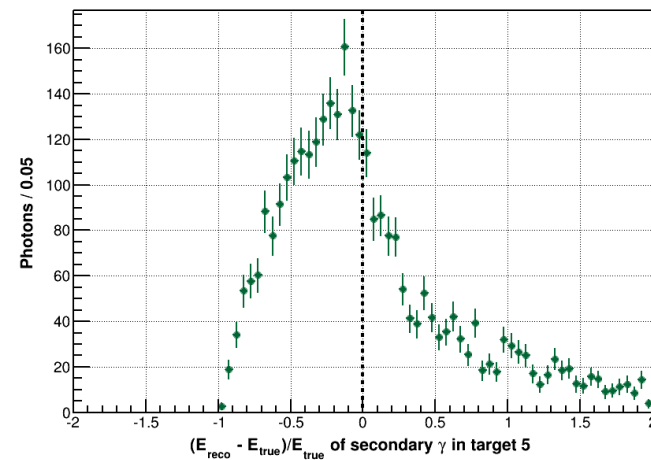
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)







# Effect on secondary $\gamma$ energy resolution (after blob efficiency and purity cuts)



Energy resolution is defined as:

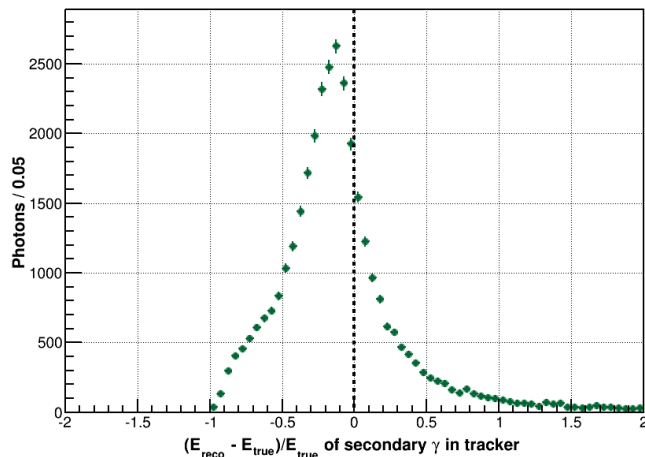
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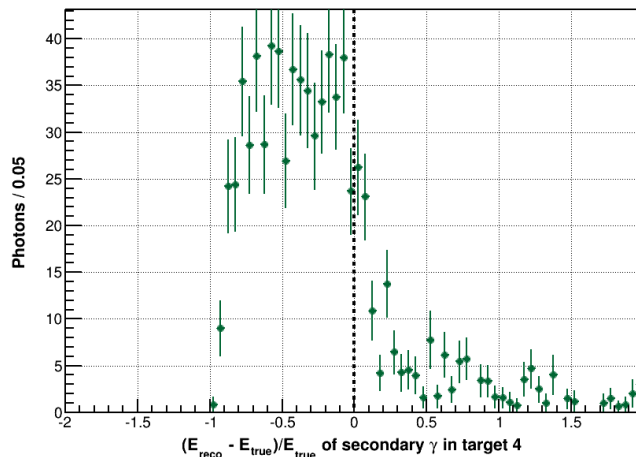
> 70%  
efficiency

> 70%  
purity

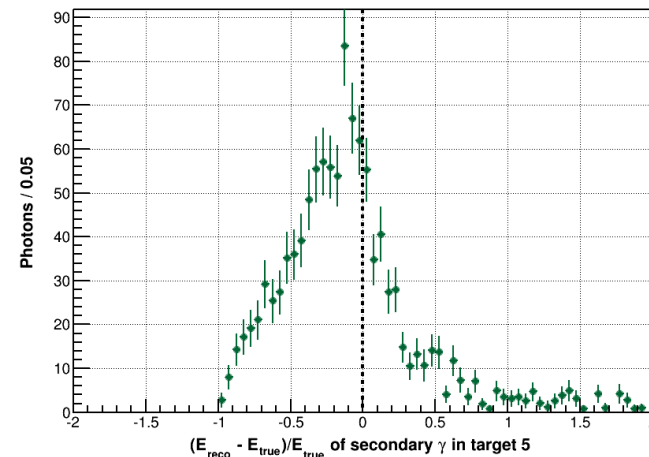
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)





# Conclusions

- Blob efficiency and purity of  $\pi^0$  events from the tracker region look reasonable. However, efficiency in targets 4 and 5 don't. I have two hypotheses:
  - Photons convert and deposit energy mostly inside target 4 (full Pb) whose thickness is about 1 interaction length.
  - Photons can't deposit energy in active material downstream target 4 since target 5 (Pb and Fe) absorbs most of that energy.
- As a consequence of the last point, energy resolution of secondary photon of target 4 and 5, especially the former one, looks bad.
- The bias towards  $\pi^0$  readout energy respect to true deposited energy needs more understanding.
- The goal of this study was to show the current low-level characterization of  $1\pi^0$  events using a “medium energy” beam. The first steps were fine, but it still needs improvements for future goals towards a precise measurement of A-dependent neutrino cross sections.

$$\text{Blob efficiency} = \frac{\text{Energy of true } \pi^0 \text{ hits inside reconstructed blobs}}{\text{Energy of true } \pi^0 \text{ hits}}$$
$$\text{Blob purity} = \frac{\text{Energy of true } \pi^0 \text{ hits inside reconstructed blobs}}{\text{Energy of all hits inside reconstructed blobs}}$$

## Thank you!



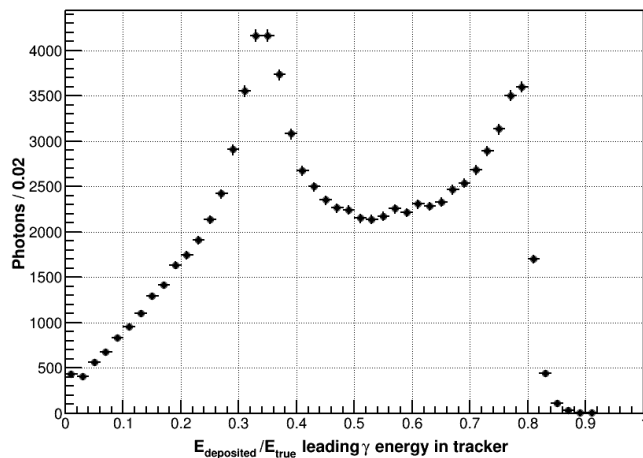
**Backup slides**



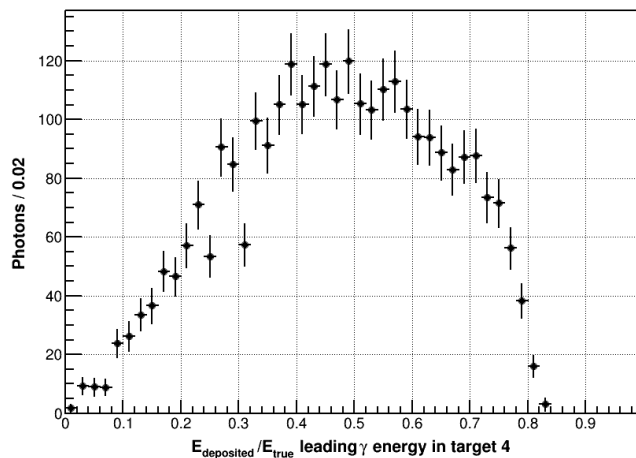
# Fraction of true leading $\gamma$ energy deposited on active material

This is the ratio between the deposited photon energy in active material and the true photon energy.

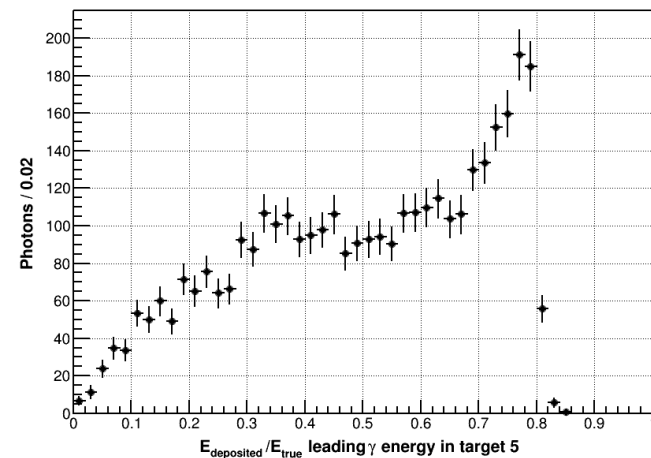
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)





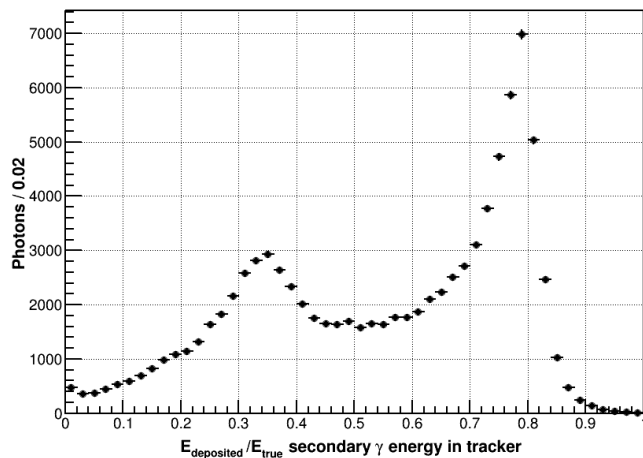


# Fraction of true secondary $\gamma$ energy deposited on active material

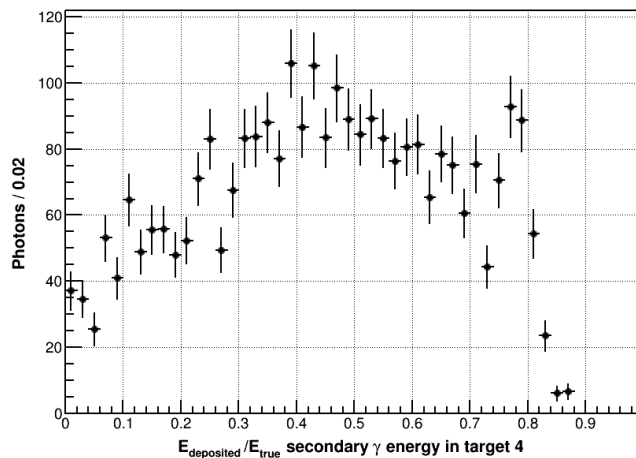


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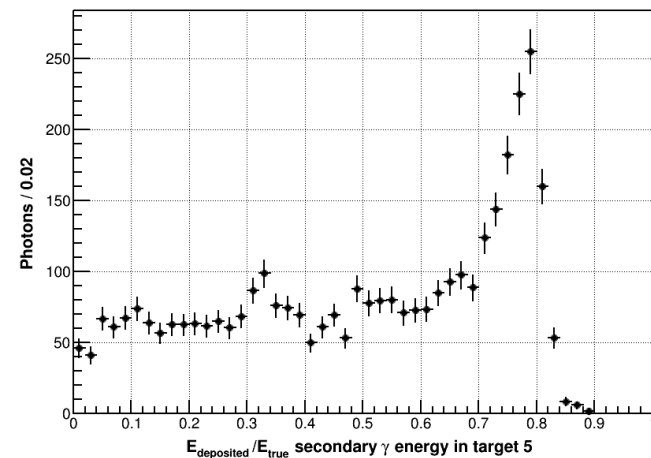
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Target 4 (Pb)



Target 5 (Pb and Fe)



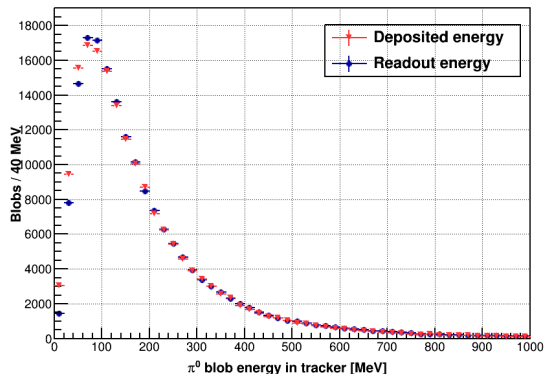




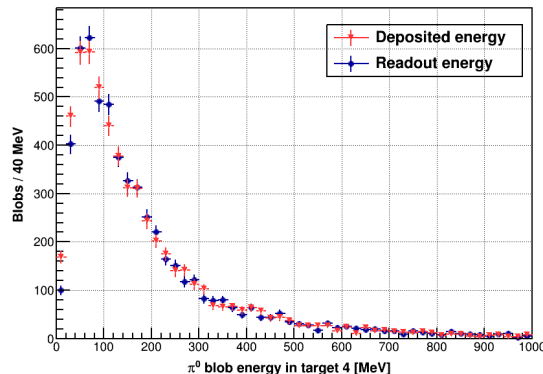
# $\pi^0$ energy response in active material



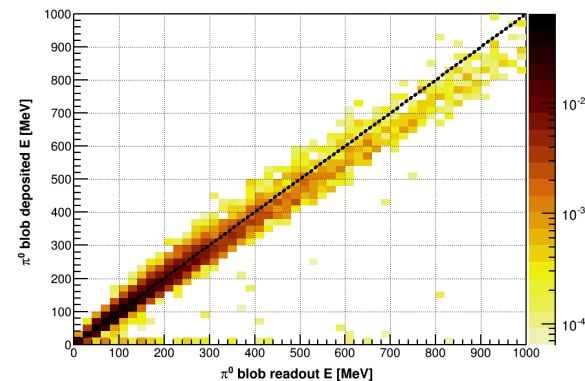
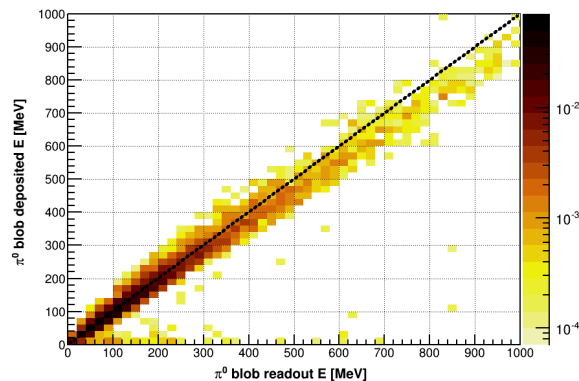
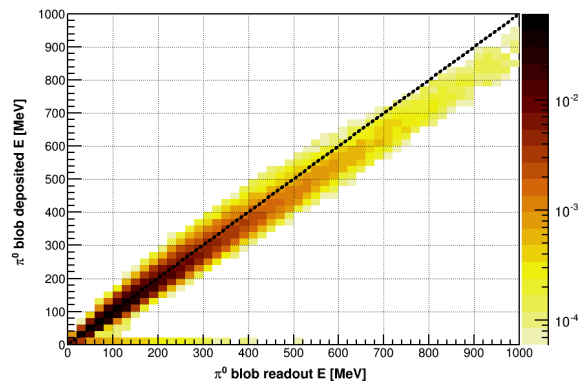
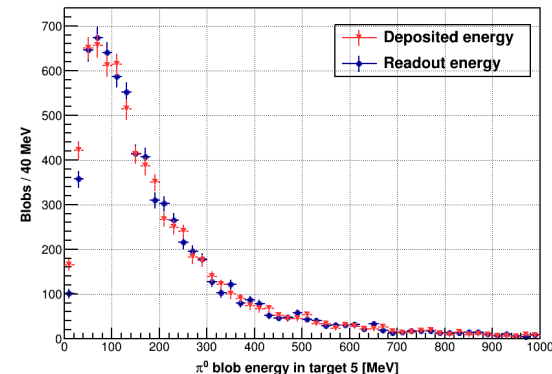
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)

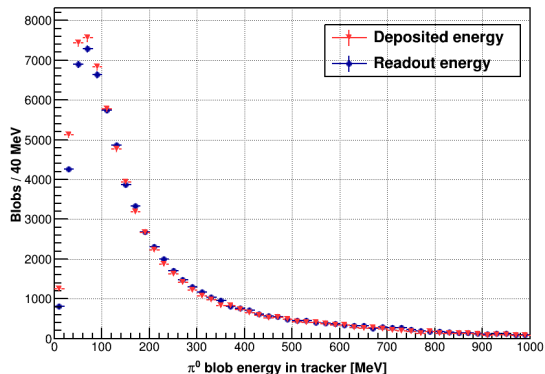




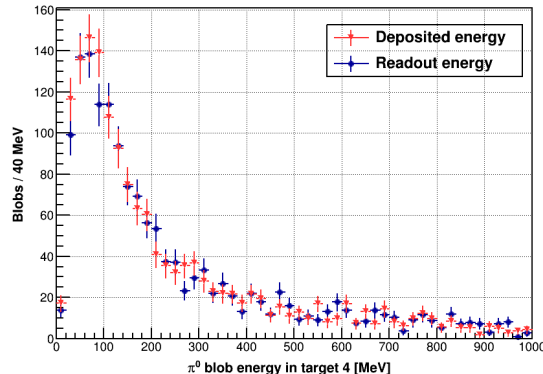
# $\pi^0$ energy response in active material (after efficiency and purity cuts)



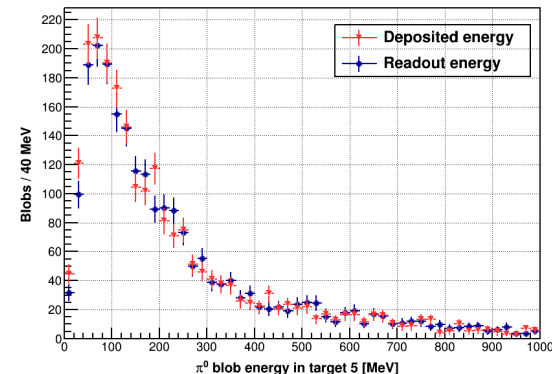
Tracker (plastic scint.)



Target 4 (Pb)

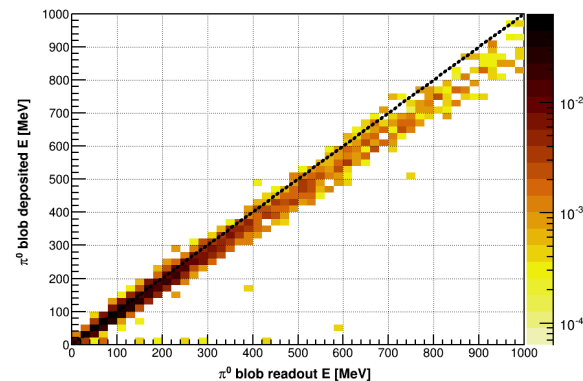
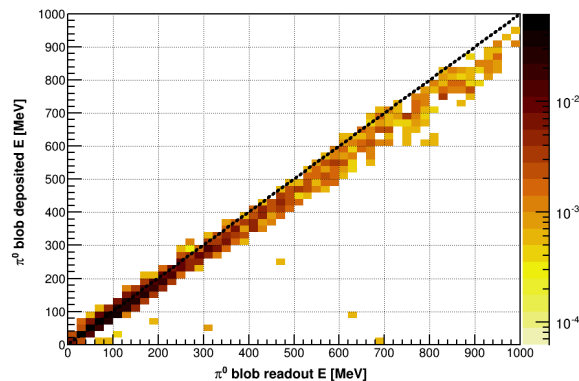
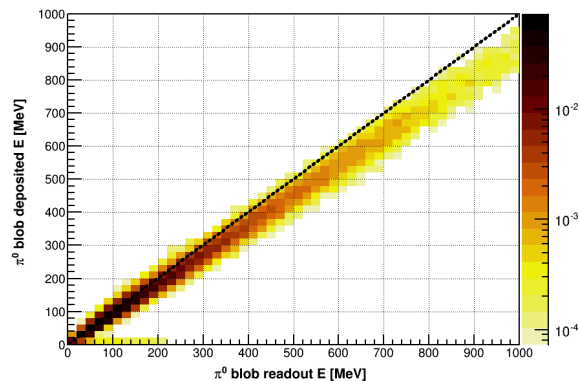


Target 5 (Pb and Fe)



> 70%  
efficiency

> 70%  
purity

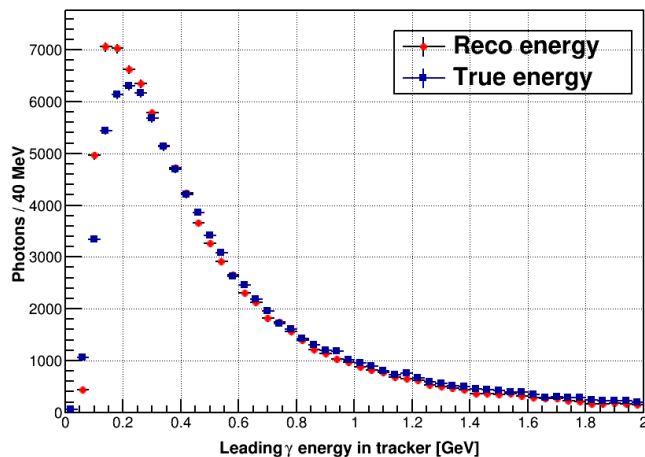




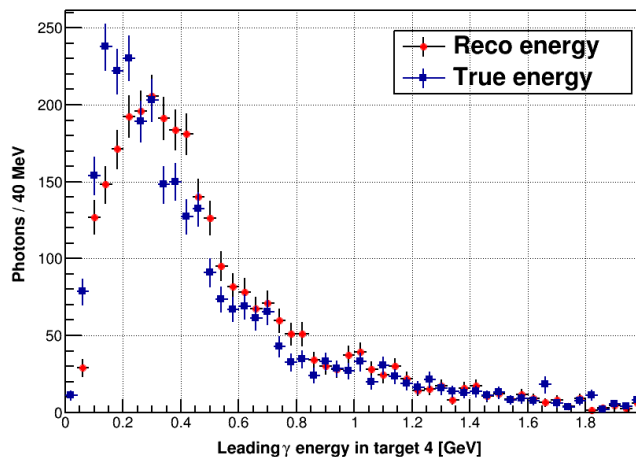
# True and reco leading $\gamma$ energy

- **True energy:** Photon energy after  $\pi^0$  decay.
- **Reco energy:** Photon energy obtained from readout after applying calorimetry.

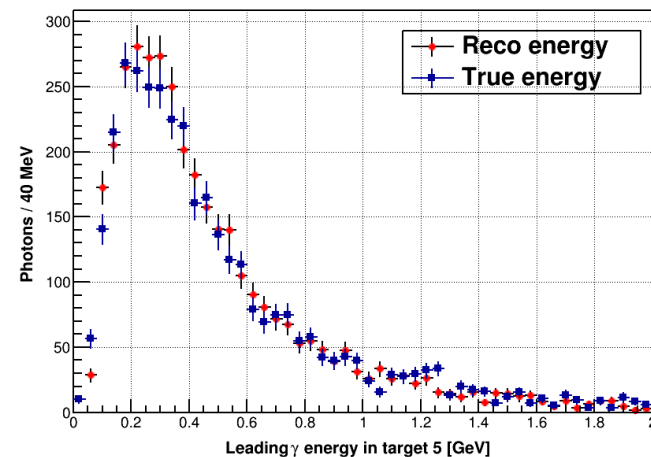
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)





# True and reco leading $\gamma$ energy (after blob efficiency and purity cuts)

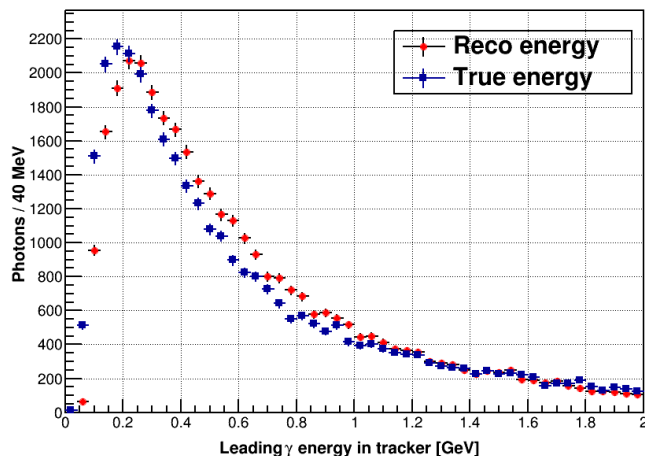


- **True energy:** Photon energy after  $\pi^0$  decay.
- **Reco energy:** Photon energy obtained from readout after applying calorimetry.

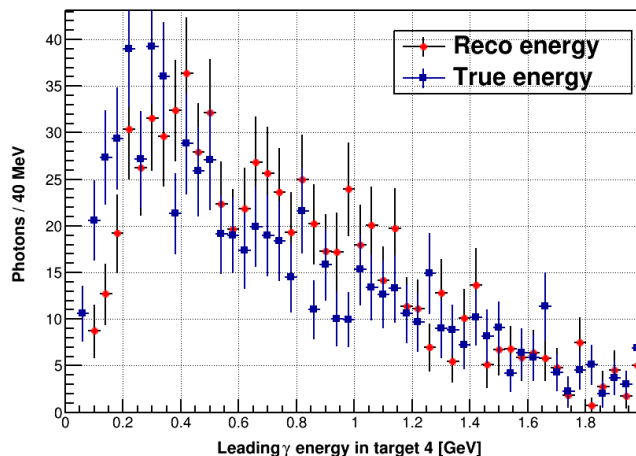
> 70%  
efficiency

> 70%  
purity

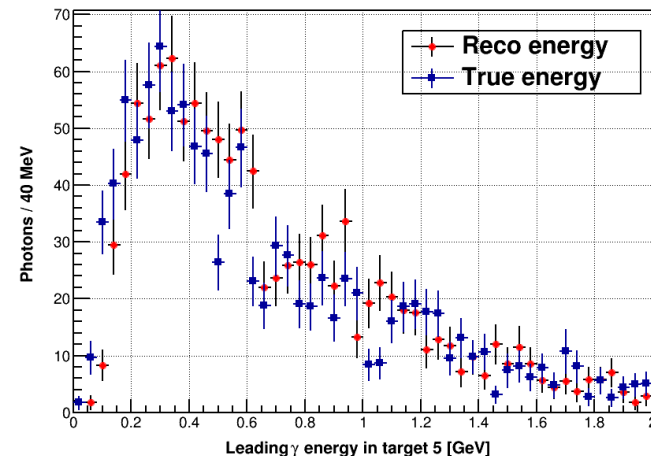
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)

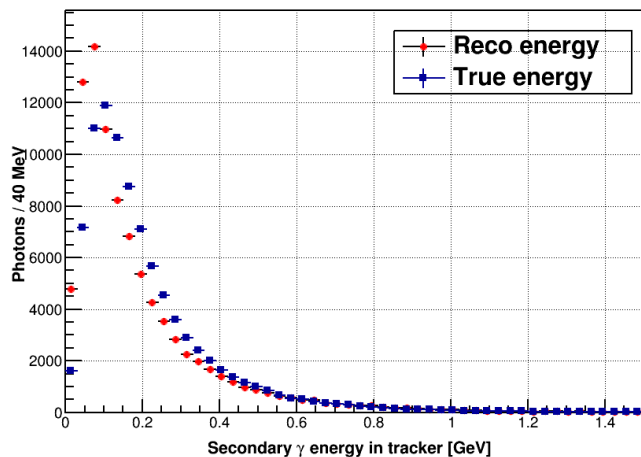




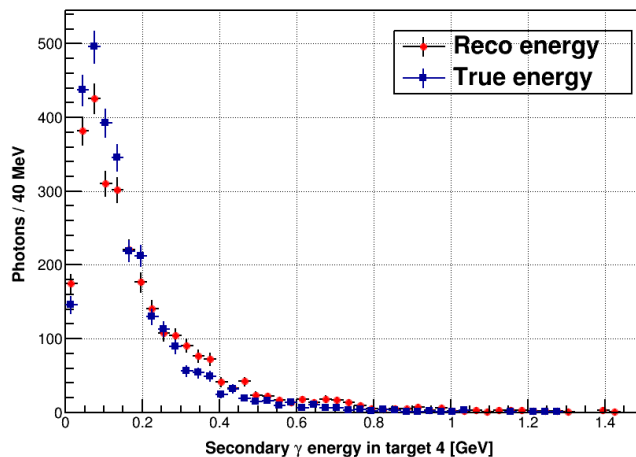
# True and reco secondary $\gamma$ energy

- **True energy:** Photon energy after  $\pi^0$  decay.
- **Reco energy:** Photon energy obtained from readout after applying calorimetry.

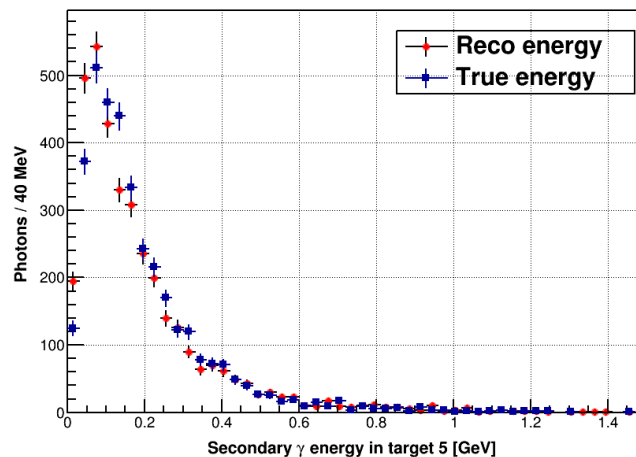
Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)







# True and reco secondary $\gamma$ energy (after blob efficiency and purity cuts)

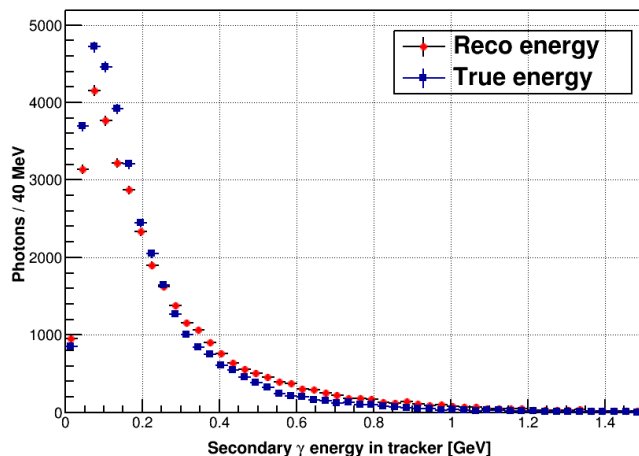


- **True energy:** Photon energy after  $\pi^0$  decay.
- **Reco energy:** Photon energy obtained from readout after applying calorimetry.

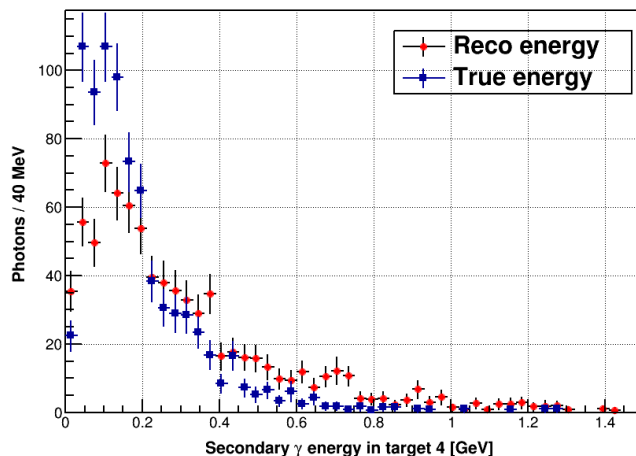
> 70%  
efficiency

> 70%  
purity

Tracker (plastic scint.)



Target 4 (Pb)



Target 5 (Pb and Fe)

